

5-102.

- a. 1.03
- b. 0.75
- c. 0.87
- d. 1.0208

5-103.

- a. #1 is arithmetic, #2 is neither, #3 is geometric
- b. #1 the generator is to add  $-3$ , #3 the generator is to multiply by  $\frac{1}{2}$

5-104.

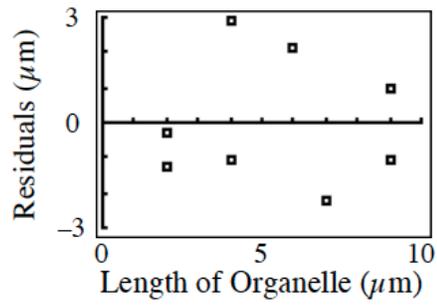
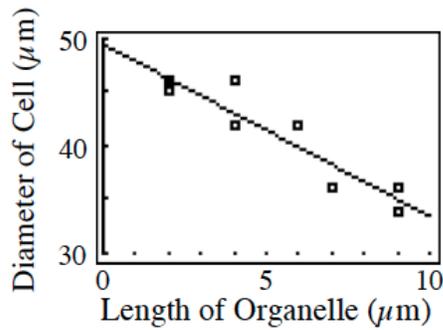
$$y = -\frac{1}{3}x + 2$$

5-105.

- a.  $x = 2$
- b. undo, then look inside;  $x = 25$

5-106.

- a. Create a scatterplot; compute and draw the *LSRL*; verify linearity with a residual plot; describe form, direction (including the slope and *y*-intercept in context), strength (including an interpretation of *r* and  $R^2$ ), and possible outliers; draw upper and lower bounds to the model used for prediction.
- b. See graphs below.  $y = 49.50 - 1.60x$ . The linear model is appropriate because the residual plot shows no apparent pattern. The slope is  $-1.60$  meaning that an increase of  $1 \mu\text{m}$  in the length of the organelle is expected to decrease the diameter of the cell by  $1.60 \mu\text{m}$ . The *y*-intercept of 49.50 means that a cell with no organelle has a length of  $49.50 \mu\text{m}$ ; this is possible even though it is an extrapolation. The correlation coefficient is  $r = -0.928$  and  $R^2 = 86.1\%$ , so **86.1** percent of the variability in the diameter of the overall cell can be explained by a linear relationship with the length of the organelle. There are no apparent outliers. The upper bound can be given by  $y = 52.42 - 1.60x$  and the lower bound by  $y = 46.58 - 1.60x$ .



5-107.

Technically, Mathias can never leave, either because he will never reach the door or because he cannot avoid breaking the rules. The equation for this situation is  $y = 100(0.5)^x$ , where  $x$  is the number of minutes that have passed and  $y$  is the distance (in meters) from the door.

5-108.

112.5 minutes or 1 hour 52 minutes,  $5\frac{1}{3}$  miles per hour

5-109.

a. Sequence 1: 10, 14, 18, 22, add 4,  $t(n) = 4n - 2$

Sequence 2: 0, -12, -24, -36, subtract 12,  $t(n) = -12n + 36$

Sequence 3: 9, 13, 17, 21, add 4,  $t(n) = 4n - 3$

b. Yes, Sequence 1: 18, 54, 162, 486, multiply by 3,  $t(n) = \frac{2}{3}(3)^n$

Sequence 2: 6, 3, 1.5, 0.75, multiply by  $\frac{1}{2}$ ,  $t(n) = 48(\frac{1}{2})^n$

Sequence 3: 25, 125, 625, 3125, multiply by 5,  $t(n) = \frac{1}{5}(5)^n(5)^n$

c. Answers vary, but the point is to have students create their own equation and write terms that correspond to it.

5-110.

a.  $x = -\frac{16}{5}$

b. no solution

c.  $x = 2$

d.  $x = -1$

5-111.

$$y = \frac{2}{3}x - 3$$

5-112.

a. -1

b. 2

c. undefined

d. -1.8

5-113.

a.  $7^2 = 49$  sq cm

b.  $0.5(10)4 = 20$  sq in

c.  $0.5(16 + 8)6 = 72$  sq ft